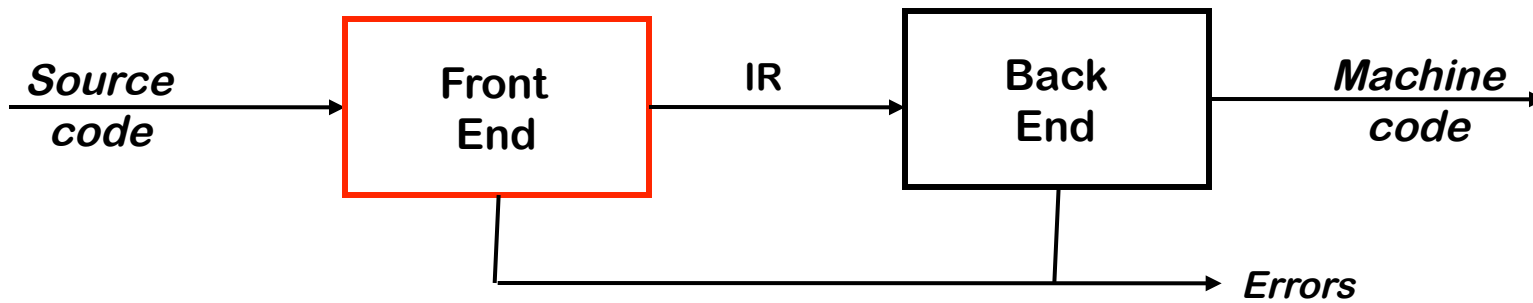




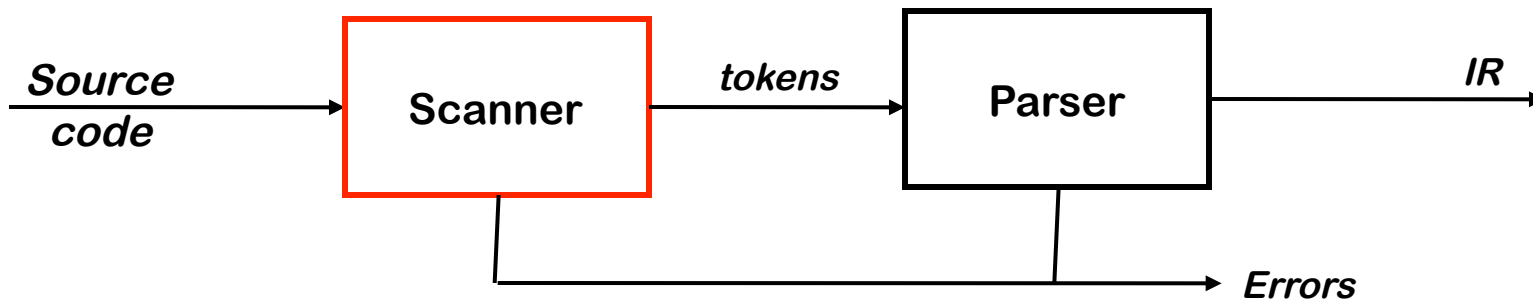
Lexical Analysis - An Introduction

The Front End



The front end is not monolithic

The Front End



Scanner

- Maps stream of characters into words
 - Basic unit of syntax
 - $x = x + y ;$ becomes set of tokens $\langle \text{type, lexeme} \rangle$
 $\langle \text{id, } x \rangle \langle \text{eq, } = \rangle \langle \text{id, } x \rangle \langle \text{pl, } + \rangle \langle \text{id, } y \rangle \langle \text{sc, } ; \rangle$

Where is Lexical Analysis Used?



For traditional languages but where else...

- Web page "compilation"
 - Lexical Analysis of HTML, XML, etc.
- Natural Language Processing
- Game Scripting Engines
- OS Shell Command Line
- GREP
- Prototyping high-level languages
- JavaScript, Perl, Python



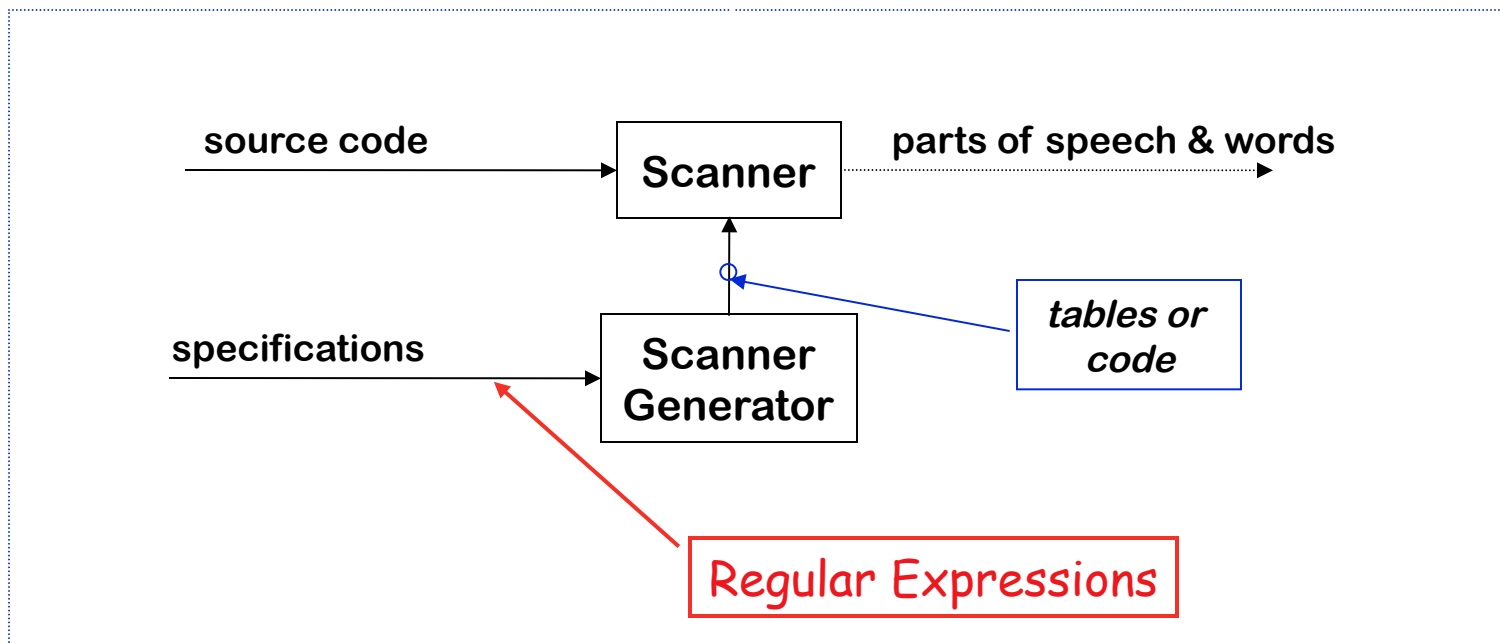
The Big Picture

Why study lexical analysis?

- We want to avoid writing scanners by hand
- We want to harness the theory from classes like CISC 303

Goals:

- To simplify specification & implementation of scanners
- To understand the underlying techniques and technologies



Regular Expressions



Powerful notation to specify lexical rules

- Simplifies scanner construction
- Notation describes set of strings over some alphabet
- Entire set of strings called the **language**
- If r is an RE, $L(r)$ is the language it specifies

Regular Expressions (more formally)

- Over some alphabet Σ
- ε is a RE denoting the empty set
- If \underline{a} is in Σ , then \underline{a} is a RE denoting $\{\underline{a}\}$





Regular Expressions (more formally)

Given sets R and S

- *Closure: R^* is an RE denoting*

$$\bigcup_{0 \leq i < \infty} R^i$$

- *Concatenation: RS is an RE denoting*

$$\{st \mid s \in R \text{ and } t \in S\}$$

- *Alternation: $R \mid S$ is an RE denoting*

$$\{s \mid s \in R \text{ or } s \in S\}$$

- Often written $R \cup S$

Note: Precedence is closure, then concatenation, then alternation



Examples of Regular Expressions

Identifiers:

Letter → (a|b|c| ... |z|A|B|C| ... |Z)

Digit → (0|1|2| ... |9)

Identifier → *Letter* (*Letter* | *Digit*)*

Numbers:

Integer → (+|-|ε) (0| (1|2|3| ... |9)(*Digit**))

Decimal → *Integer* . *Digit**

Real → (*Integer* | *Decimal*) E (+|-|ε) *Digit**

Complex → (*Real* , *Real*)

Numbers can get much more complicated!

Regular Expressions

(the point)



REs are used to specify the words to be translated to parts of speech by a lexical analyzer

Using results from automata theory and theory of algorithms, we can **automatically** build **recognizers** (i.e. **scanners**) from regular expressions

You may have seen this construction in a **Automata Course**

⇒ We study REs and associated theory to automate scanner construction !

Regular Expression Class Problem?



What is the regular expression for a register name?

Examples: r1, r25, r999 ← These are OK.

r, s1, a25 ← These are not OK.

Register Name RE Solution



Consider the problem of recognizing register names

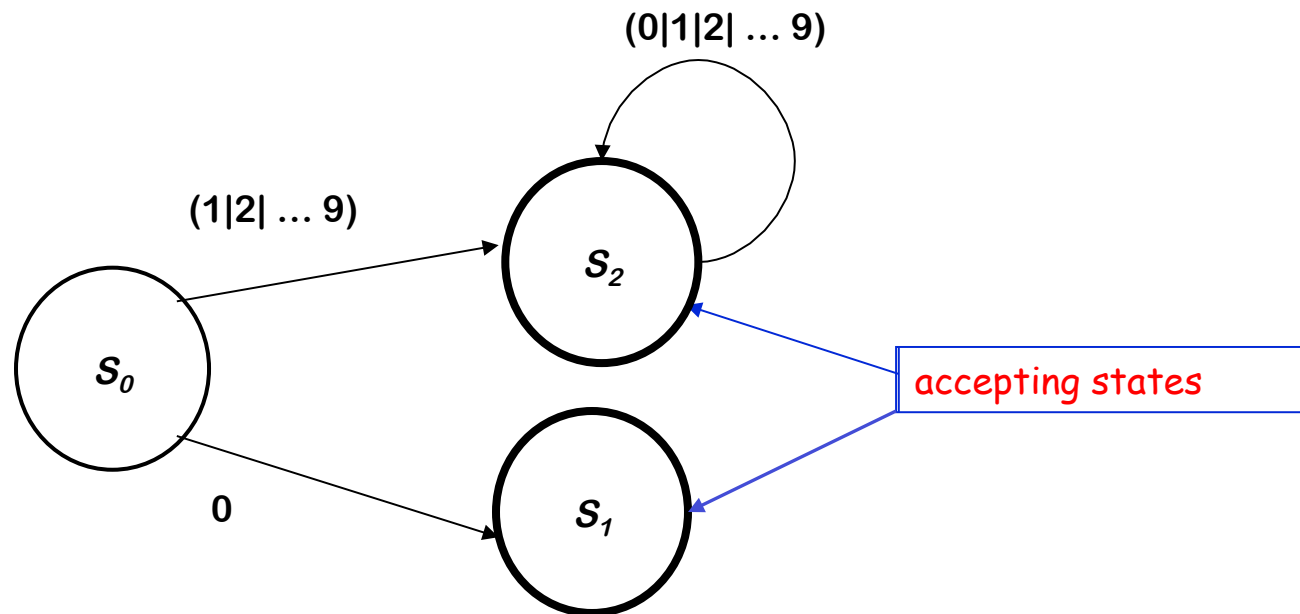
Register $\rightarrow r (0|1|2| \dots | 9) (0|1|2| \dots | 9)^*$

- Allows registers of arbitrary number
- Requires at least one digit



Finite Automaton (FA)

- An abstract machine that corresponds to a particular RE
- Recognizers can scan a stream of symbols to find words



Transition Diagram for *Number*

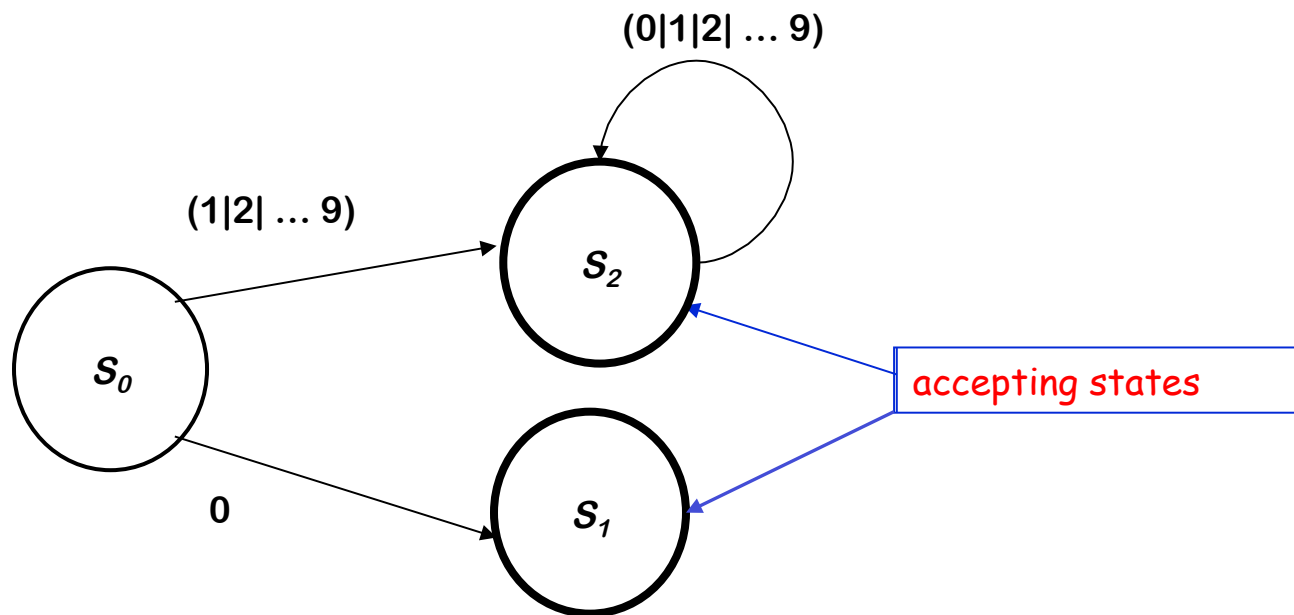


Finite Automaton (FA)

An FA is a five-tuple $(S, \Sigma, \delta, s_0, S_F)$ where

- S is the set of states
- Σ is the alphabet
- δ a set of transition functions
 - takes a state and a character and returns new state
- s_0 is the start state
- S_F is the set of final states

Finite Automaton (FA)



Transition Diagram for *Number*